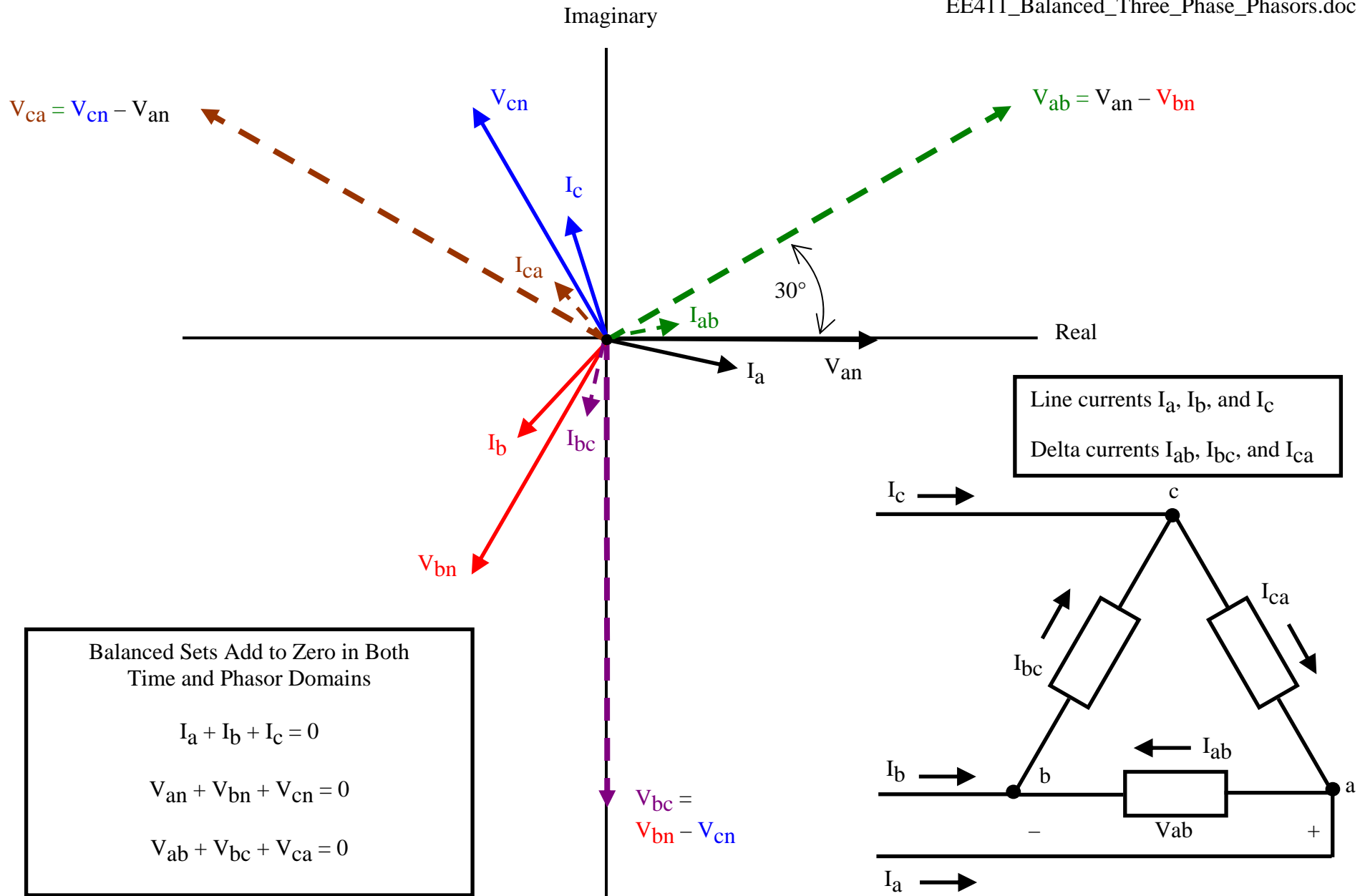
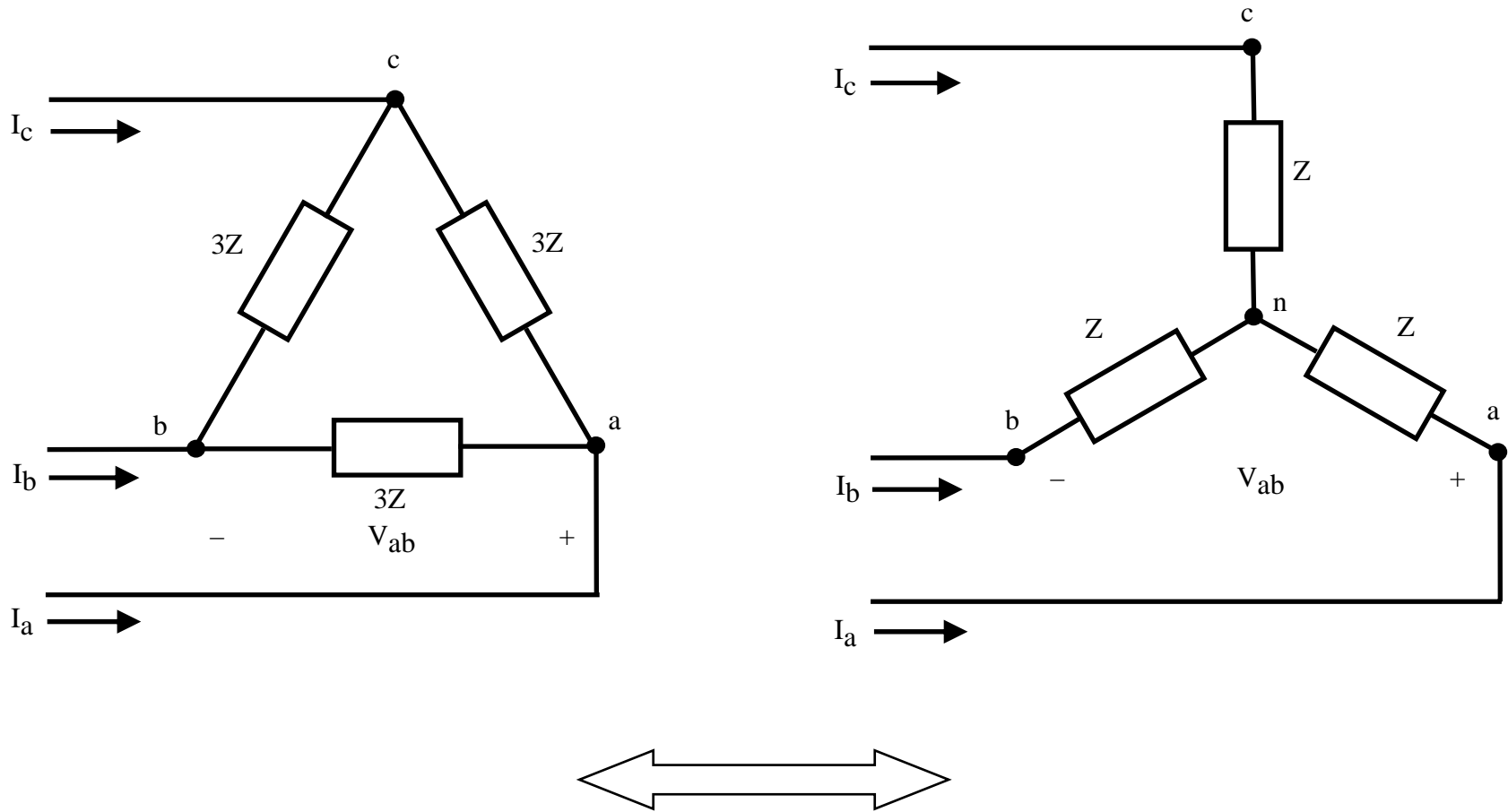


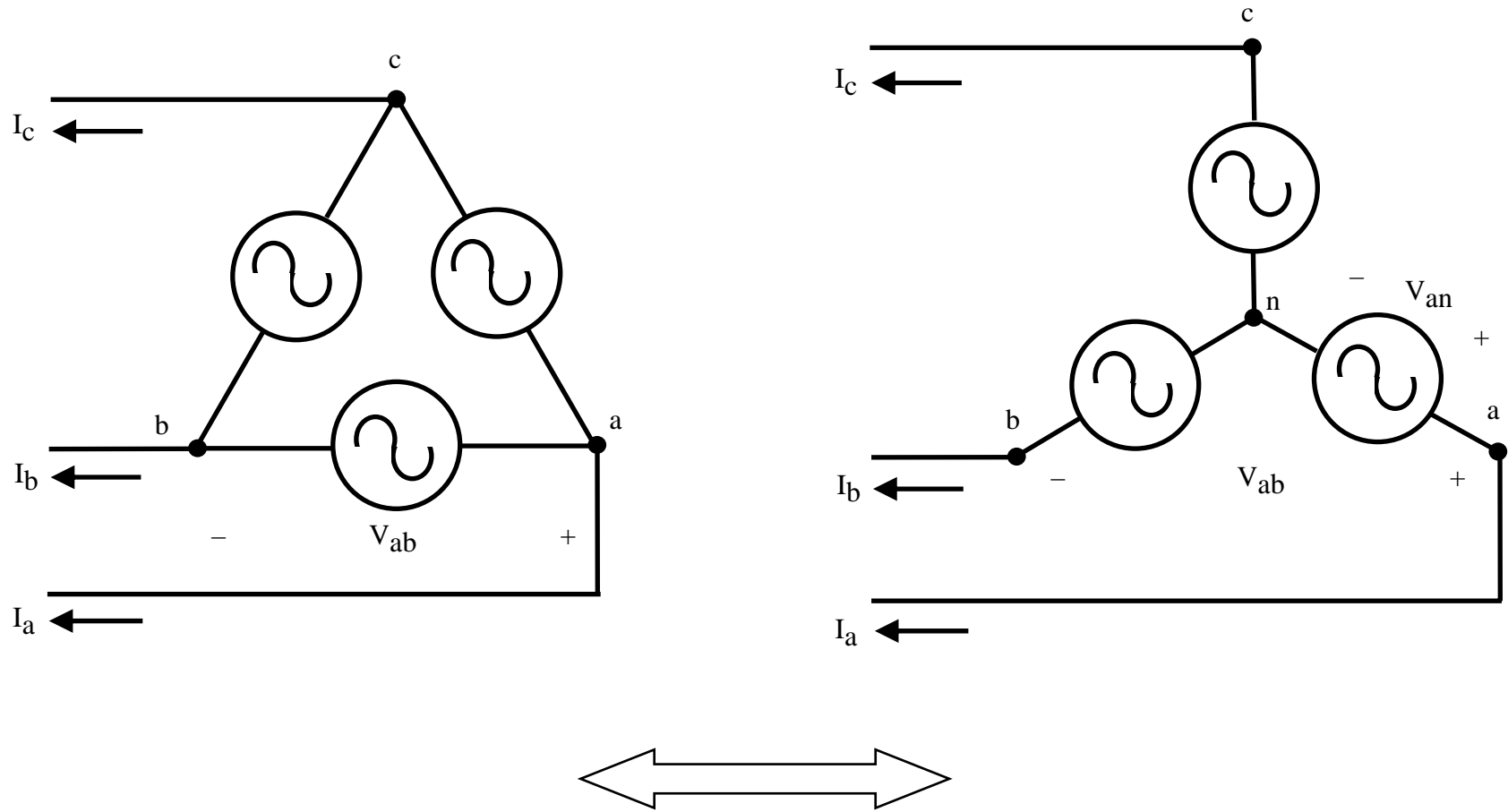
The phasors are rotating counter-clockwise.

The magnitude of line-to-line voltage phasors is $\sqrt{3}$ times the magnitude of line-to-neutral voltage phasors.

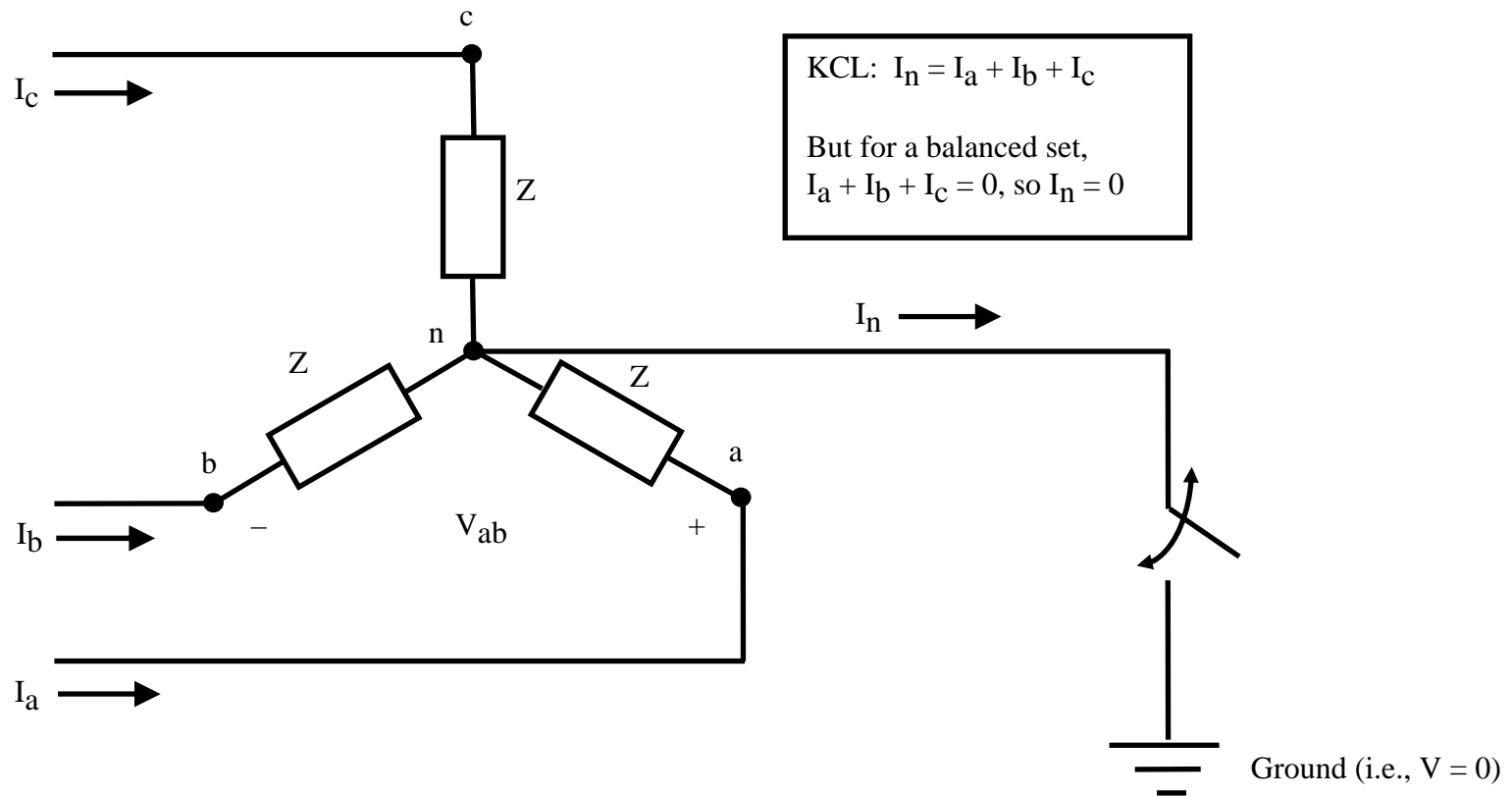




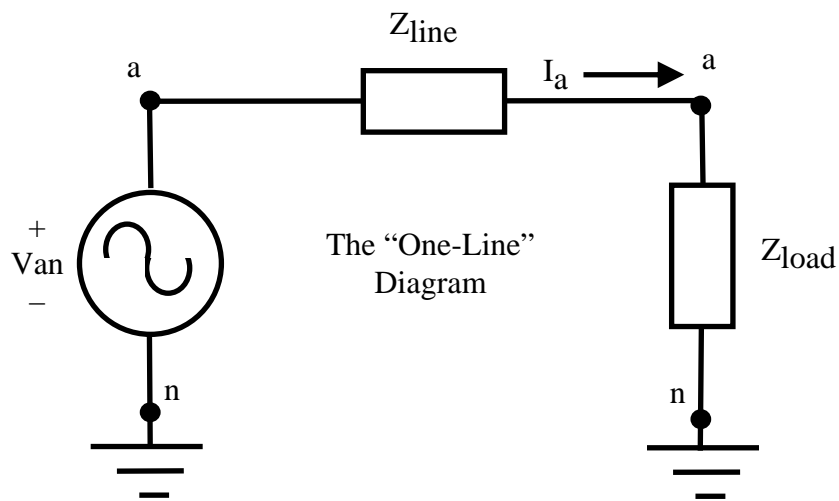
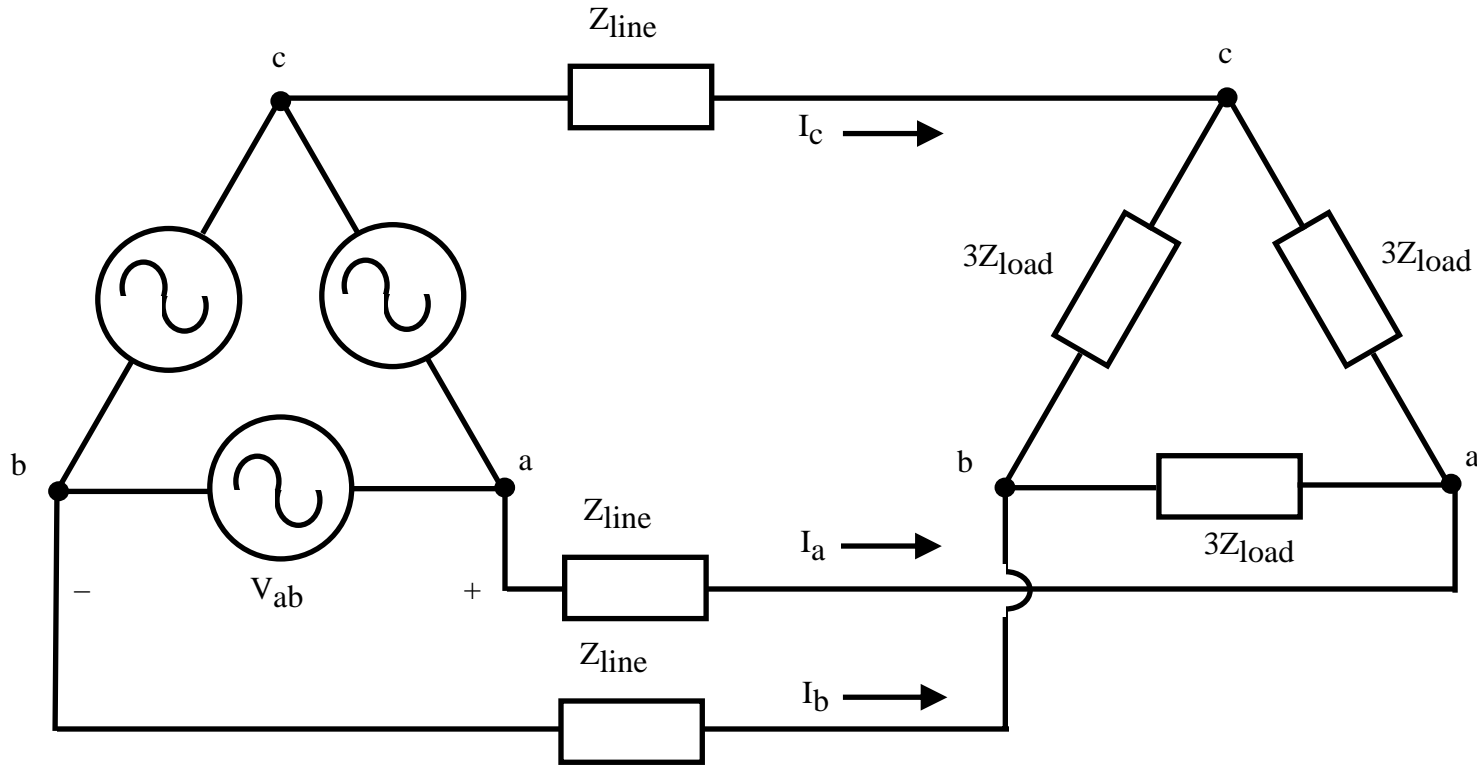
The Two Above Loads are Equivalent in Balanced Systems
 (i.e., same line currents I_a , I_b , I_c and phase-to-phase voltages V_{ab} , V_{bc} , V_{ca} in both cases)



The Two Above Sources are Equivalent in Balanced Systems
 (i.e., same line currents I_a , I_b , I_c and phase-to-phase voltages V_{ab} , V_{bc} , V_{ca} in both cases)



The Experiment: Opening and closing the switch has no effect because I_n is already zero for a three-phase balanced set. Since no current flows, even if there is a resistance in the grounding path, we must conclude that $V_n = 0$ at the neutral point (or equivalent neutral point) of any balanced three phase load or source in a balanced system. This allows us to draw a “one-line” diagram (typically for phase a) and solve a single-phase problem. Solutions for phases b and c follow from the phase shifts that must exist.



- Balanced three-phase systems, no matter if they are delta connected, wye connected, or a mix, are easy to solve if you follow these steps:
1. Convert the entire circuit to an equivalent wye with a grounded neutral.
 2. Draw the one-line diagram for phase a, recognizing that phase a has one third of the P and Q.
 3. Solve the one-line diagram for line-to-neutral voltages and line currents.
 4. If needed, compute line-to-neutral voltages and line currents for phases b and c using the $\pm 120^\circ$ relationships.
 5. If needed, compute line-to-line voltages and delta currents using the $\sqrt{3}$ and $\pm 30^\circ$ relationships.