

RF/Microwave Circuits I

VNA Calibration Fall 2007

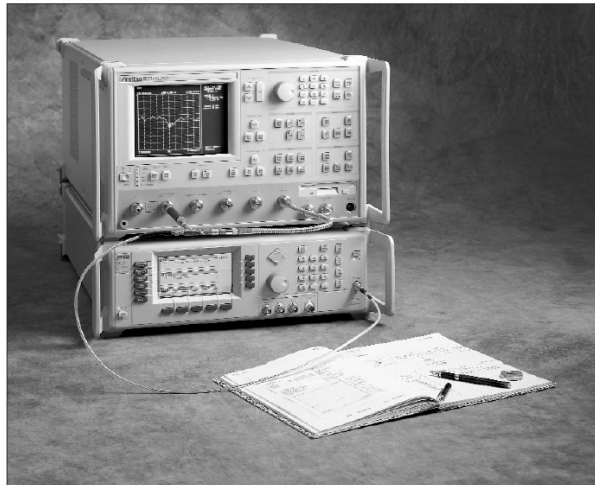
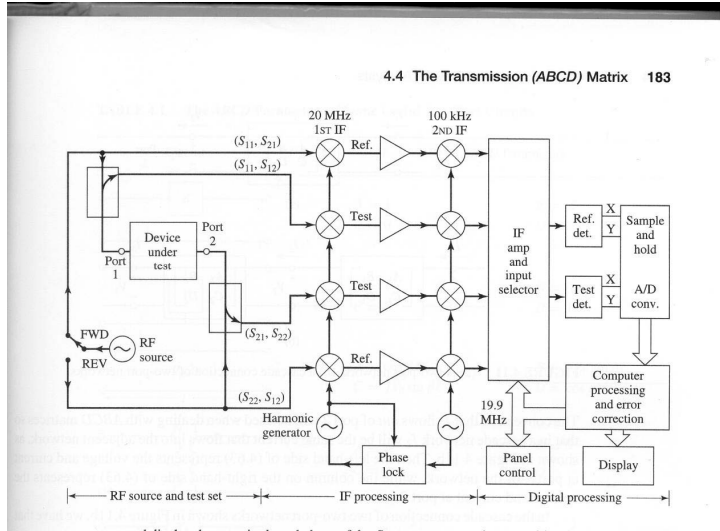


VNA & Calibration

- Vector Network Analyzer → Measures amplitude and phase of
 - Reference, reflected, and transmitted signal to find [S]
- Basic Components of VNA
 - Synthesized swept signal RF source
 - Test set (signal routing from/to source, DUT, and internal IF circuitry)
 - IF circuitry (down convert RF to IF, e.g., 100KHz) (page 183, 3rd edition)
 - Digital processors (A/D conversion, amp & phase measurements, etc)

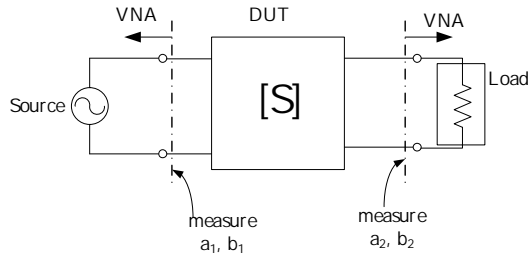


4.4 The Transmission (ABCD) Matrix 183



From Anritsu

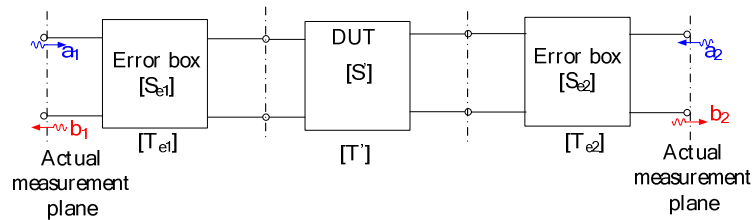




- In reality, there is much hardware within VNA that affects a_1, b_1 , etc
- Measurements are determined after IF and digital processing
- \therefore To determine $[S]$ of the DUT, we need information about signals at DUT ports \rightarrow have to calibrate/remove all VNA effects



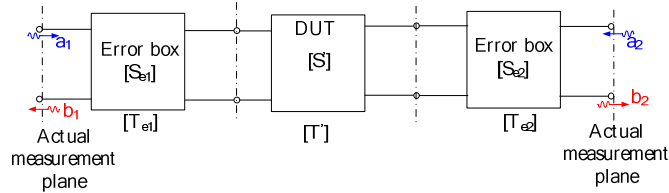
- First step: Determine how to represent these complex VNA effects. This is “error modeling”



- $[S]$ \rightarrow scattering matrix
- $[T]$ \rightarrow transmission matrix (e.g., $[ABCD]$)
- Error box – networks that include internal VNA effects (couplers, switches, IF and DSP circuits, etc) and possibly external cables etc
 - different “error models” have different “error boxes”



- Second Step: Determine values for error box parameters (i.e., $[S_{e1}]$, $[S_{e2}]$ or $[T_{e1}]$, $[T_{e2}]$).
 - Determining the error box parameters is called “calibration”



$$[T_m] = [T_{e1}] [T'] [T_{e2}]$$

This what we measure (or raw-measured data)

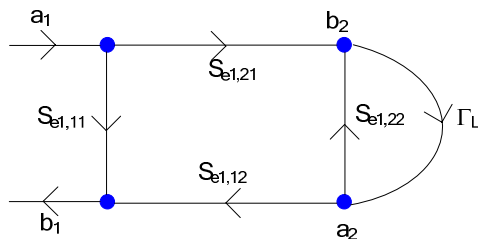
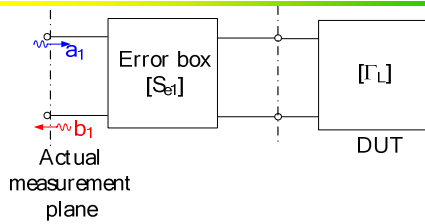
Error corrected or “calibrated data”

Determined when calibration is performed

$$[T'] = [T_{e1}]^{-1} [T_m] [T_{e2}]^{-1}$$



A SIMPLE 1-PORT MEASUREMENT



$$S_{11}' = S_{11,e1} + \frac{S_{21,e1} \Gamma_L S_{12,e1}}{1 - S_{22,e1} \Gamma_L}$$



Goal: Find $[S_{e1}]$ (i.e., “calibrate” the system)

- You can select different Γ_L (cal stds) and measure S_{11}
- How?

(i) choose $\Gamma_L = 0$ (use match load)

$$\text{then } S_{11}' = S_{e1,11} \qquad S_{11}' = S_{11,e1} + \frac{S_{21,e1} \Gamma_L S_{12,e1}}{1 - S_{22,e1} \Gamma_L}$$

(ii)

$$(1 - \Gamma_L S_{e1,22})(S_{11}' - S_{e1,11}) = (S_{e1,21})(\Gamma_L)(S_{e1,12})$$

$$U_1 \cdot K = U_2$$

U = unknown
K = known



1-port calibration (cont'd)

(iii)

choose 2 more known Γ_L 's (e.g., $\Gamma_L = 1$ (*open*) and -1 (*short*))

⇒ find U_1 and U_2 (2 equations and 2 unknowns)

(iv)

once U_1 is known, find $S_{e1,22}$

(v)

also know $(S_{e1,21} \cdot S_{e1,12}) \Rightarrow$ you only need to know the product

Now that you know $[S_{e1}]$

$$\Gamma_L = \frac{(S_{11}' - S_{e1,11})}{(S_{e1,21} - S_{e1,12}) + S_{e1,22} (S_{11}' - S_{e1,11})}$$



Commonly Used Calibration Methods

1. OSL (can be used only for 1-port calibration)
 - Open, Short, Load
2. OSLT (2-port calibration)
 - Open, Short, Load, Thru
 - Thru is a section of matched transmission line
3. LRM
 - Thru Line, Reflect, Matched load
 - Reflect can be open or short
4. TRL
 - Thru line, Reflect, delay Line



Commonly Used Calibration Methods

- For many calibration methods, precise knowledge of the standards (e.g., the Γ for the short) must be known
 - It won't be exactly -1!

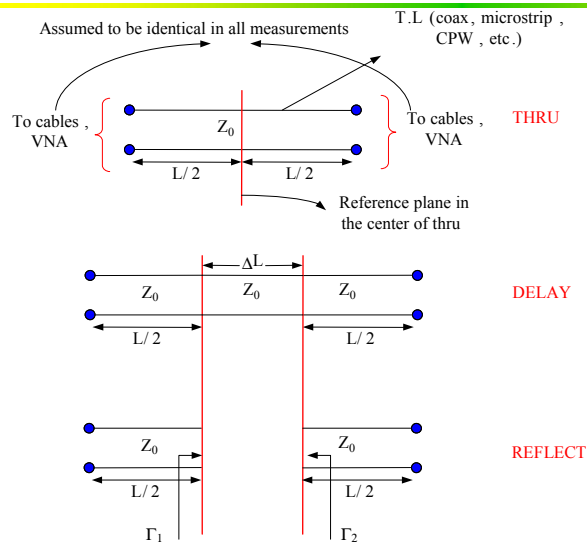


TRL Calibration

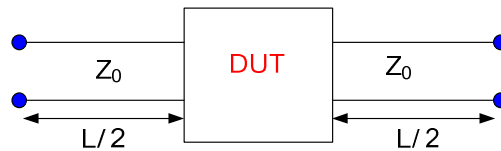
- Used for planar circuits (e.g., microstrip) this is the most accurate approach, especially at mm-wave frequencies
- Does not require perfect (or well known) matched loads, opens, or shorts (other methods do require) \Rightarrow TRL is known as “self-calibrating”
- **How to construct TRL calibration lines for measuring a DUT...**



TRL Calibration



TO MEASURE DUT



DESIGN RULES

- Z_0 must be identical for all standards and DUT
- Theoretically, any $L > 0$ is acceptable
- Ideally, $\Delta L = 90^\circ$ at center frequency
 - Calibration is typically valid from f_1 to f_2 , when
 - f_1 when $\Delta L = 20^\circ$
 - f_2 when $\Delta L = 160^\circ$
- Reflect standards do not have to be perfect opens or shorts, but Γ_1 has to be identical to Γ_2
- Z_0 does not have to be 50Ω , but its value does serve as the reference impedance for the calculated [S] matrix

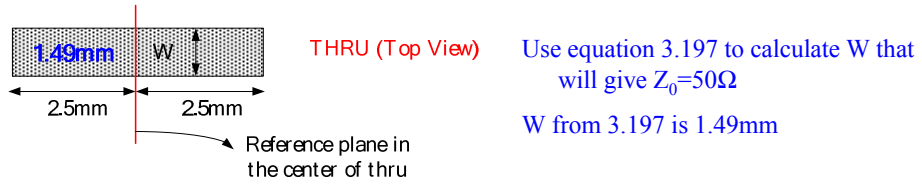


DESIGN TRL STD's FROM 1-6GHz AND MEASURE A CHIP CAPACITOR

- We need to know the following:
 - Capacitor size, substrate properties on which capacitor will be mounted/measured, what kind of TL (microstrip, CPW, etc)
 - Frequency range
- Capacitor dimensions from the manufacturer data sheet is
 - $2\text{mm} \times 1.2\text{mm}$
 - Given that the substrate is 31-mil FR-4 ($\epsilon_r=4.27$)
- Choose a value of "L", this is the length of "thru". There is no equation for choosing L
 - Let's say $L=5\text{mm}$



CALCULATIONS

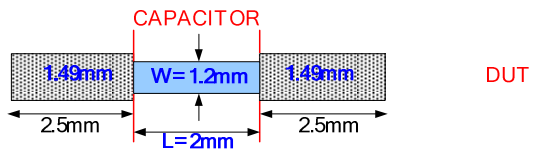
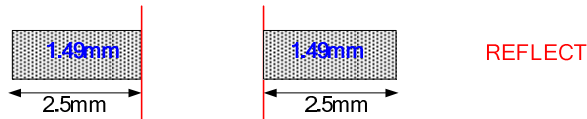
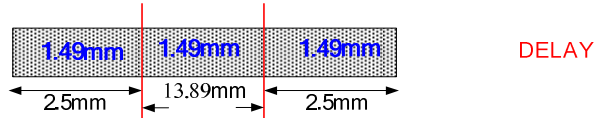


We want the length $\Delta L = 90^\circ$ at 3GHz (center frequency)

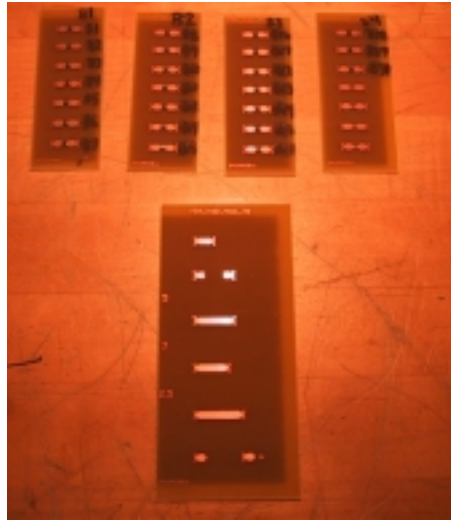
$$\lambda = \frac{V_{ph}}{f} = \frac{c}{\sqrt{\epsilon_{eff}} f}$$

Use 3.195 for calculating ϵ_{eff}

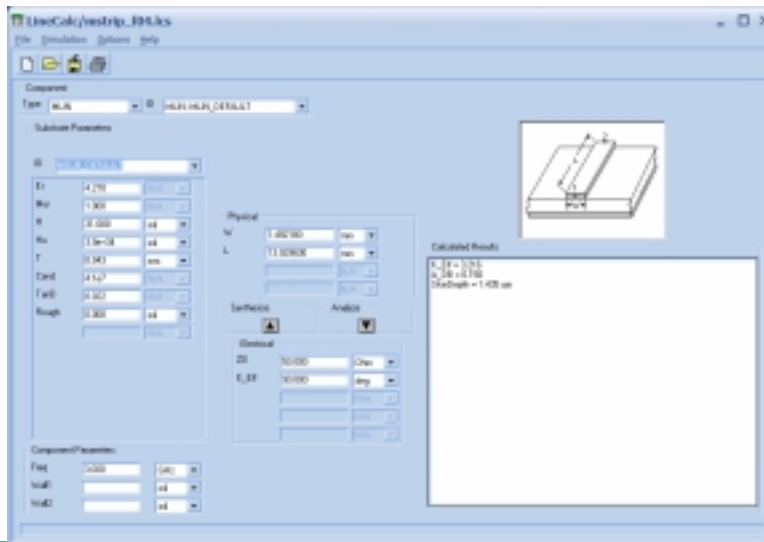
$$\Delta L = 13.89\text{mm}$$



TRL Standards and Test Fixtures

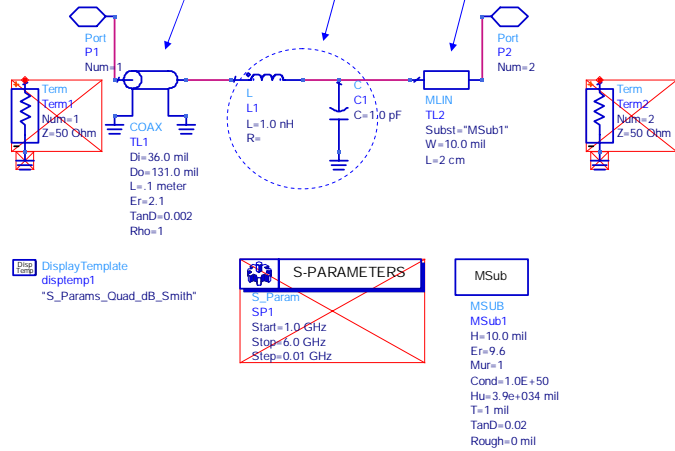


LineCalc



De-Embedding Example

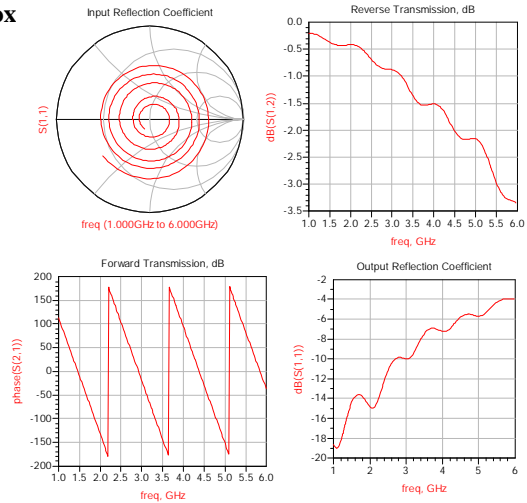
Hypothetical Error Box Coax cable Connector Microstrip on circuit board



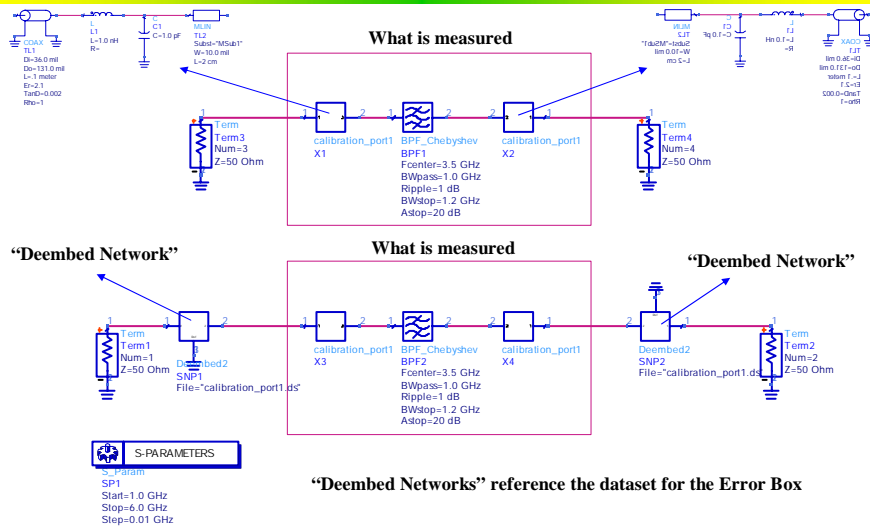
De-Embedding Example

S-parameters for the Error Box

Use with S-Parameter Simulations



De-Embedding Example



De-Embedding Example

BLUE – Measured Data

RED – Deembedded Data

